

## Station #1: Continuously Compounded Interest

Continuously Compounded Interest is a great thing when you are earning it! Continuously compounded interest means that your principal is constantly earning interest and the interest keeps earning on the interest earned!

$$A = Pe^{rt}$$

Diagram illustrating the formula  $A = Pe^{rt}$  with labels and arrows:

- A**: final amount
- P**: principle (initial amount)
- e**: mathematical constant
- r**: interest rate
- t**: time

1. If you invest \$1,000 at an annual interest rate of 5% compounded continuously, calculate the final amount you will have in the account after five years.
2. If you invest \$2,000 at an annual interest rate of 13% compounded continuously, calculate the final amount you will have in the account after 20 years.

## Station #2: Compound Interest Formula

$$A = P \left(1 + \frac{r}{n}\right)^{nt}$$

A = Amount accumulated

P = principal

r = interest rate

n = compoundings per period

t = number of periods

1. You invested \$40,000 at 4% interest compounded quarterly 25 years ago. How much is it worth now?
2. You borrowed \$1,690 for 5 years at a 5.7% compounded semi annually. What total will you pay back?

### Station #3: Exponential Growth & Decay

The diagram shows the exponential function formula  $A(t) = a(1 \pm r)^t$ . The components are labeled as follows:

- Initial amount** (green text) points to the variable  $a$ .
- Number of time periods** (blue text) points to the exponent  $t$ .
- Final amount** (purple text) points to the function  $A(t)$ .
- Rate of increase** (red text) points to the variable  $r$ .

- The world population in 2000 was approximately 6.08 billion. The annual rate of increase was about 1.26%.
  - Find the growth factor for the world population.
  - Suppose the rate of increase continues to be 1.26%. Write a function to model the world population.
  - Let  $x$  be the number of years past the year 2000. Find the world population in 2030. Write your answer in billions.
- A new car that sells for \$18,000 depreciates 25% each year.
  - Write a function that models the value of the car.
  - Find the value of the car after 4 years.

### Station #4: Graphing Exponential Functions

**Graph the following exponential functions. Make a table of 5  $x$  and  $y$  values. State the domain and range of the function.**

1.  $f(x) = 3\left(\frac{1}{2}\right)^x$

2.  $f(x) = \frac{1}{3}(2)^x$

**Station #5: Evaluating Logarithmic Expressions**

**Evaluate each expression.**

25)  $\log_3 1$

26)  $\log_{17} 289$

27)  $\log_{19} 361$

28)  $\log_9 \frac{1}{81}$

**Station #6: Graphing Logarithmic Functions**

**Graph the following exponential functions and stat the domain and range.**

1.  $f(x) = \log(5x)$

2.  $f(x) = \log(x - 2)$

### Station #7: Writing Exponential Equations in Logarithmic Form

**Logarithm** – The exponent,  $n$ , to which the base  $b$  must be raised to equal  $a$ , written as  $\log_b a = n$ .

**Example:**  $\log_2 8 = 3$  since  $2^3 = 8$ .

**Logarithmic form** – The expression or an equation containing logarithms.

**Example:** The equation  $\log_3 y = x$  is the logarithmic form of the exponential equation  $3^x = y$ .

**Rewrite each equation in logarithmic form.**

17)  $5^3 = 125$

18)  $16^2 = 256$

19)  $2^2 = 4$

20)  $20^{-2} = \frac{1}{400}$

### Station #8: Writing Logarithmic Equations in Exponential Form

**Rewrite each equation in exponential form.**

1)  $\log_{13} 1 = 0$

2)  $\log_3 3 = 1$

3)  $\log_4 64 = 3$

4)  $\log_6 216 = 3$